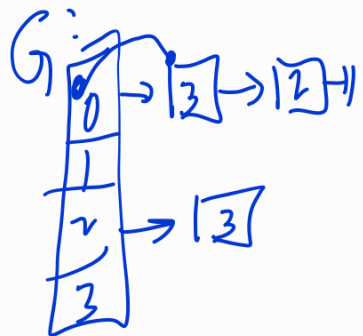




Graph GRAPHreverse(Graph G)

⚡
 Graph GL = GRAPHinit($G \rightarrow V$);
 for(int v=0; v< $G \rightarrow V$; v++)



⚡
 for(link l = $G \rightarrow adj[v] \rightarrow next$; l != NULL;

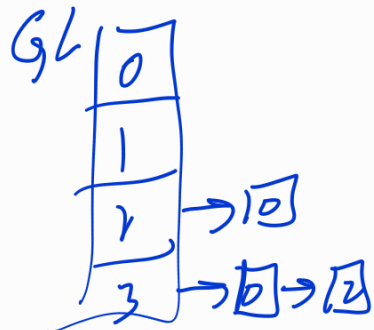
⚡
 l = l->next)

⚡

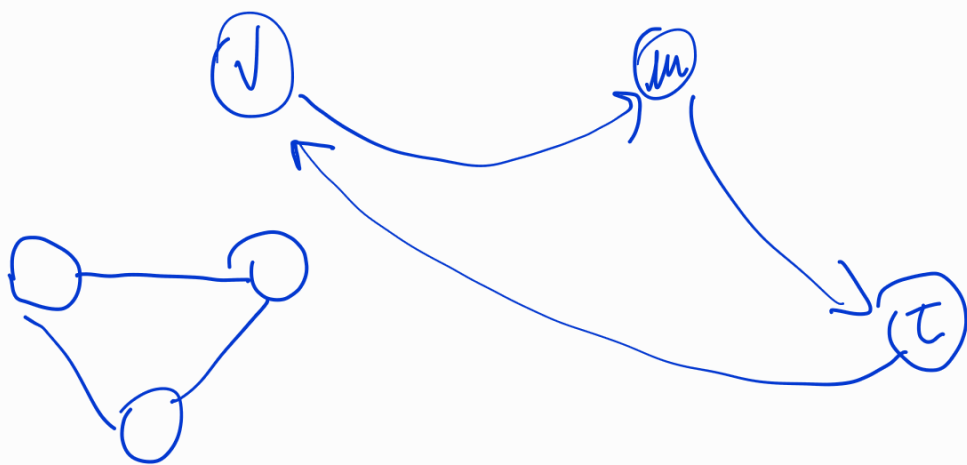
⚡
 GRAPHinsertE(GL, EDGE(l->v, v))

(V + E)

⚡
 return GL;



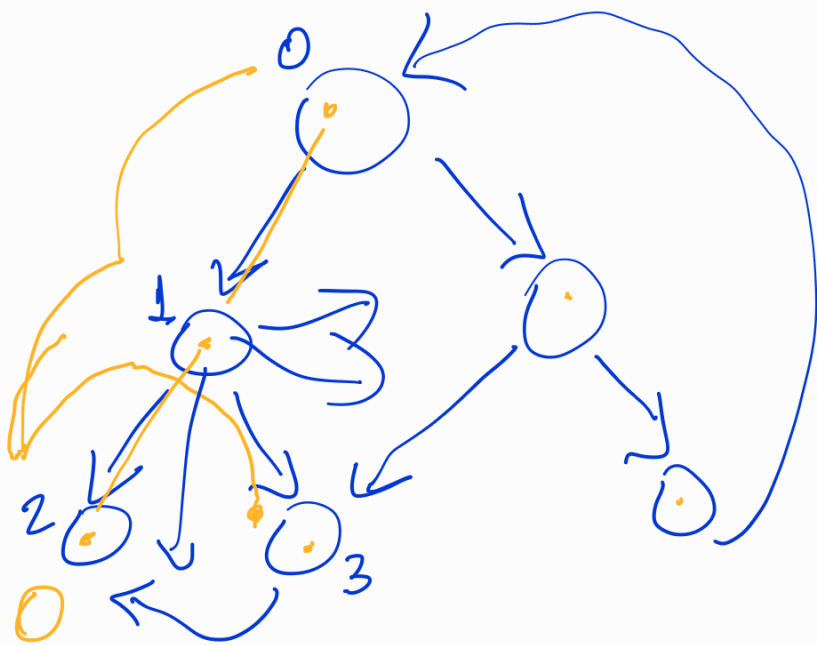
	0	1	2	3
0			1	1
1				
2	0			L
3				

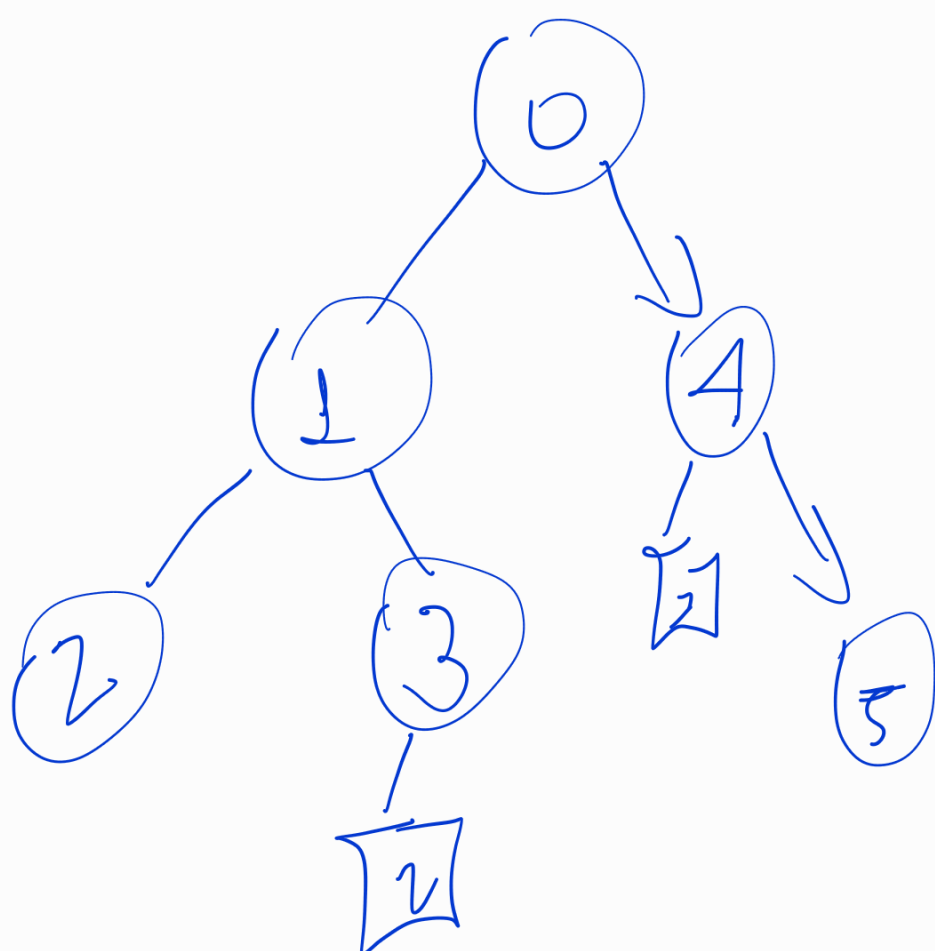


```

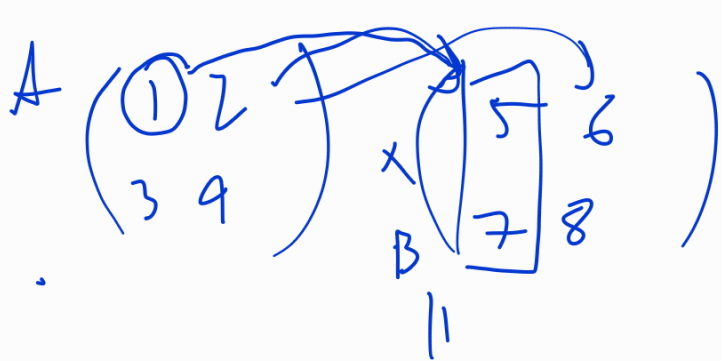
void dfsRd(Graph G, Edge e)
{
    int u = e.u;
    pre[u] = cnt++;
    for(link l = G->adj[u]->next; l != NULL; l = l->next)
        if(pre[l->v] == -1)
            dfsRd(G, EDGE(u, l->v));
        else
            if(pos[l->v] == -1)
                visit();
            else if(pre[l->v] < pre[u])
                ALGO();
            else OUTROALGO();
    pos[u] = cntP++;
}

```





$$C = A \times B$$



• for (i=0; i < N; i++)

• for (j=0; j < N; j++)

for (k=0; k < N; k++)

• $C[i][j] += A[i][k] \times B[k][j]$

$$\begin{pmatrix} 1 \times 5 + 2 \times 7 & 1 \times 6 + 2 \times 8 \\ 3 \times 5 + 4 \times 7 & 3 \times 6 + 4 \times 8 \end{pmatrix}$$

$$\begin{pmatrix} 1 \times 5 + 2 \times 7 & 1 \times 6 + 2 \times 8 \\ 3 \times 5 + 4 \times 7 & 3 \times 6 + 4 \times 8 \end{pmatrix} \checkmark$$

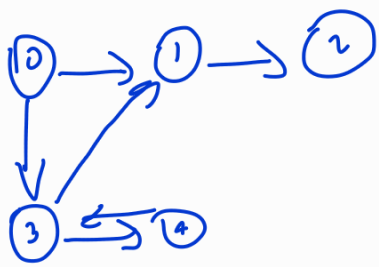
• for (i=0; i < N; i++)

• for (j=0; j < N; j++)

for (k=0; k < N; k++)

if ($A[i][k] \neq 0 \ \&\& \ A[k][j]$)

$C[i][j] = 1;$



A)

	0	1	2	3	4
0		1	1		1
1			1	1	
2				1	
3			1		1
4			1	1	1

B)

	0	1	2	3	4
0		1	1		1
1			1	1	
2				1	
3			1		1
4			1	1	1

C)

	0	1	2	3	4
0			1	1	1
1					
2					
3					
4					

i = 1

j = 2

k =

for (v=0; v < V; v++)
multiply M(i)

$$A^V = A \times A \times A \dots A$$

$$V \cdot V^2$$

$$O(V^3)$$

• for($i=0; i < N; i++$)

• for($j=0; j < N; j++$)

if($A[i][k]$)

for($k=0; k < N; k++$)

if($A[i][k] \&\& A[k][j]$)

$C[i][j] = 1;$

Dfs $O(V+E)$

$$V \cdot (V+E) \sim V^2$$

$$E \rightarrow V^2 \therefore V(V+V^2) \sim V^3$$

void GraphTC (Graph G) $V \cdot (V+E)$

$\hookrightarrow G \rightarrow tc = \text{Matrix}_{init}(G \rightarrow V, G \rightarrow V, 0);$

for (int i=0; i < G->V; i++)
 dfsTCR (G, EDGE(i, i), 1)

$\hookrightarrow$

void dfsTCR (Graph G, Edge e, int depth)

$\hookrightarrow d$
 • $G \rightarrow tc[e.v][e.u] = 1;$

for (link l = G->adj[e.u]; l != NULL; l = l->next)

$\hookrightarrow$

• if ($G \rightarrow tc[e.v][l \rightarrow v] == 0$)
 • $\text{dfsTCR}(G, \text{EDGE}(e.v, l \rightarrow v), \text{depth}+1)$

$G \rightarrow tc$

	0	1	2
0	1	1	1
1		1	1
2			1

(1, 1)

(1, 2)

(2, 2)

0	$\rightarrow$ 1
1	$\rightarrow$ 2
2	-1

Source

